# Leveraging RDF Graphs for Crossing Multiple Bilingual Dictionaries 

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#### Abstract

The experiments presented here exploit the properties of the Apertium RDF Graph, principally cycle density and nodes' degree, to automatically generate new translation relations between words, and therefore to enrich existing bilingual dictionaries with new entries. Currently, the Apertium RDF Graph includes data from 22 Apertium bilingual dictionaries and constitutes a large unified array of linked lexical entries and translations that are available and accessible on the Web (http://linguistic.linkeddata.es/apertium/). In particular, its graph structure allows for interesting exploitation opportunities, some of which are addressed in this paper. Two experiments are reported: in the first one, the original EN-ES translation set was removed from the Apertium RDF Graph and a new EN-ES version was generated. The results were compared against the previously removed EN-ES data and against the Concise Oxford Spanish Dictionary. In the second experiment, a new non-existent EN-FR translation set was generated. In this case the results were compared against a converted wiktionary English-French file. The results we got are really good and perform well for the extreme case of correlated polysemy. This led us to address the possibility to use cycles and nodes degree to identify potential oddities in the source data. If cycle density proves efficient when considering potential targets, we can assume that in dense graphs nodes with low degree may indicate potential errors.


Keywords: Apertium,, LLOD, RDF/OWL, graphs, multilingual lexica, bilingual lexica, automatic lexical aquisition

## 1. Introduction

The Apertium RDF Graph contains the RDF version of the Apertium ${ }^{1}$ bilingual dictionaries (Forcada et al., 2011), which have been transformed into RDF and published on the Web following the Linked Data principles. As described by Gracia et al.. (2015), the core linguistic data of the Apertium RDF Graph was modeled using lemon, the LExicon Model for ONtologies (McCrae et al., 2012) while the translations between lexical entries used the lemon translation module (Gracia et al., 2014).
Currently, the Apertium RDF Graph includes data from 22 Apertium bilingual dictionaries and it is expected that more Apertium data will be included in the near future. As result of the generation of the Apertium RDF Graph, a large unified array of linked lexical entries and translations is available and accessible on the Web (http://linguistic.linkeddata.es/apertium/). Its graph structure allows for interesting exploitation opportunities, some of them addressed in this paper. In particular, we propose a method to discover candidate translations for a given lexical entry and an algorithm to compute the confidence degree for such translations, based on the density exploration of the graph.
The rest of the paper is organized as follows. In Section 2, related work on deriving bilingual lexical information from existent resources is discussed. Section 3 introduces our proposal for inferring indirect translations based on the exploration of the graph's cycle density. The algorithm to compute a score for the cycles is presented in Section 4. Section 5 discusses some illustrative examples. Section 6 details the experiments performed. The discussion of the obtained results is in Section 7 and, finally, conclusions and future work can be found in Section 8.

## 2. Related work

Deriving new bilingual lexica from already existing ones in not new. Initial proposals typically used a pivot language to derive a new bilingual lexicon between two Source and Target languages, provided that the pairs Source/Pivot and Target/Pivot were already available. When using a pivot language to construct a bilingual dictionary, it is mandatory to discriminate inappropriate equivalences between words caused by translation ambiguities. A method to identify such incorrect translations was proposed by Tanaka \& Umemura (1994) when constructing bilingual dictionaries intermediated by a third language. The method, known as one time inverse consultation (OTIC), was adapted by Lim et al. (2011) in the creation of multilingual lexicons from bilingual lists of words.
More recently, different algorithms exploiting graph properties have been proposed to derive, enrich and/or validate lexical resources. Graph algorithms allow working with a larger number of lexicons. For instance the SenseUniformPaths algorithm (Soderland, 2009), based on graph sampling, uses probabilistic methods to infer lexical translations. The SenseUniformPaths was used in the generation of the PANDICTIONARY. According to this algorithm, all nodes on a translation circuit share a sense with high probability, unless there is a correlated polysemy among the nodes on the path (that is a pair of nodes sharing the same polysemy). To avoid correlated sense-shifts the SenseUniformPaths algorithm identifies (and prunes) 'ambiguous cycles', i.e. cycles with sets of nodes sharing multiple senses. Flati et al. (2013) introduce the notion of cyclic and quasi-cyclic graph paths. They use it for the disambiguation and validation of bilingual dictionaries, and to automatically identify synonyms aligned across languages.
The approach presented in this paper is grounded on Soderland's in that we use cycles to identify potential targets. It differs in that our source data (i.e. the Apertium

[^0]dictionaries) has no notion of sense and, more importantly, we use nodes' degree and graph density (more specifically, cycle density) to rate confidence value. Once a cycle C is identified, our algorithm does not need to identify potential 'ambiguous cycles' but rather relies on graph properties, which is computationally less expensive. Note in addition that identifying potential ambiguous cycles only works well provided that source dictionaries are complete (all translations for a given word are encoded) and have similar coverage, which is not the case for the Apertium RDF graph, as the original dictionaries are incomplete and quite unbalanced.

## 3. Computation based on cycle density

Word polysemy is a linguistic feature that prevents to consider translation as a transitive relation. For instance, by knowing that the Spanish translation of the English word wrist is тип̃eca and that тип̃еса translates into French poupée we would be wrong concluding that wrist-en $\rightarrow$ poupée-fr. More generally, given a chain such as $a \rightarrow b \rightarrow c \rightarrow d \rightarrow e$, we cannot assume that every node is reachable from every other node (having a complete graph).
Following Soderland, we base our experiment in cycles (instead of simple chains). A cycle is a sequence of nodes (vertices) starting and ending in the same node with no repetitions of vertices and edges allowed. We assume that the probability that a cycle (in our case: a cycle of translations) becomes a complete graph is higher than the probability that a simple translations path becomes complete. Thus, the probability of having wrist-en $\rightarrow$ poignet- fr is much higher in a cycle like the one in (a) than the probability of having wrist-en $\rightarrow$ poupée- fr in a path like that in (b):
(a) wrist-en $\rightarrow$ muñeca-es $\rightarrow$ poignet- $\mathrm{f} \rightarrow$ canell-ca
(b) wrist-en $\rightarrow$ muñeca-es $\rightarrow$ poupée $-\mathrm{f} \mathrm{r} \rightarrow$ nina-ca

In addition, we assume that the density of a cycle is crucial to calculate the probability that two nodes with no direct connection be good translation candidates. The density of a graph depends on the number of vertices and edges on that graph. Thus, the higher the number of edges a graph has the higher its density is. Density is defined as $\mathrm{D}=|\mathrm{E}| /|\mathrm{V}|^{*}(|\mathrm{~V}|-1)$ where E is the number of edges and V is the number of vertices in the graph. The minimal density is 0 and the maximal density is 1 (for complete graphs). The table below shows three example graphs with different densities. Whereas they all have the same number of vertices, they differ in the number of edges and therefore in their density:

$$
\begin{array}{ll}
(\mathrm{A} \leftrightarrow \mathrm{~B} \leftrightarrow \mathrm{C} \leftrightarrow \mathrm{D} \leftrightarrow \mathrm{~A}) & \mathrm{D}=8 / 4^{*} 3=0.66 \\
(\mathrm{~A} \leftrightarrow \mathrm{~B} \leftrightarrow \mathrm{C} \leftrightarrow \mathrm{D} \leftrightarrow \mathrm{~A})+(\mathrm{B} \leftrightarrow \mathrm{D}) & \mathrm{D}=10 / 4^{*} 3=0.83 \\
(\mathrm{~A} \leftrightarrow \mathrm{~B} \leftrightarrow \mathrm{C} \leftrightarrow \mathrm{D} \leftrightarrow \mathrm{~A})+(\mathrm{B} \leftrightarrow \mathrm{D})+(\mathrm{A} \leftrightarrow \mathrm{C}) & \mathrm{D}=12 / 4 * 3=1
\end{array}
$$

In this example, we assume that the probability of $\mathrm{A} \leftrightarrow \mathrm{C}$ is higher in the second graph (with $\mathrm{D}=0.83$ ) than in the first one ( $D=0.66$ ) where no other edges, except those forming the main cycle do exist.
To avoid potential translation errors arising from
polysemy, we impose the following restriction on translation cycles: Cycles starting and ending in word W of language $L$ may not contain other words from L. In our initial experiments we did not introduce such a restriction. We found that, in most cases, when two nodes in the cycle belong to the same language, they were synonyms (which is what one would expect). Note, however, that source data is not error free (possibly because some Apertium dictionaries were partially automatically created using transitive relations) and such reentrances may produce false results. The example below illustrates such a situation:
poignet - $\mathrm{fr} \rightarrow$ pojno-eo $\rightarrow$ poupée- $\mathrm{fr} \rightarrow$ doll-en $\rightarrow$ muñeca-es

In this example, the Esperanto word pojno (wrongly) links to French poupée, and this initiates a different 'sense path'. Since, the Spanish word muñeca is polysemous (meaning both doll and wrist), the path ends back to poignet, (FR) wrongly suggesting that poignet and poupée may be synonyms in French.
Note that, such a restriction does not prevent us from having cycles with 'correlated polysemy'. In the example below, we evaluate the Catalan word canell (meaning wrist), as potential target of doll. Canell is introduced by pojno and leads to the Spanish polysemous word muñeca.

```
doll-en / canell-ca score 0.6
Best cycle: doll-en \(\rightarrow\) nina-ca \(\rightarrow\) poupée-fr \(\rightarrow\)
pojno-eo \(\rightarrow\) canell-ca \(\rightarrow\) muñeca-es \(\rightarrow\) doll-en
```

Note that, eventhough pojno and muñeca introduce a correlated polysemy, the algorithm still gives a 'low' confidence score (0.6) to the potential target canell. We get the same low score when evaluating the French word poignet as a potential target for doll:

```
doll-en / poignet-fr score 0.6
Best cycle: doll-en \(\rightarrow\) nina-ca \(\rightarrow\) poupée- \(\mathbf{f r} \rightarrow\)
pojno-eo \(\rightarrow\) poignet-fr \(\rightarrow\) mии̃eca-es \(\rightarrow\)
doll-en
```

As we will see in the next section, we may impose a further restriction on cycles and reject those where two or more nodes belong to the same languages. In this case, the cycles above (those involving canell-ca and poignet-fr) would not be considered.

## 4. Initial algorithm

In order to be able to find all cycles involving a root word $W$ in such a huge graph as the Apertium RDF Graph, we need to reduce this into a manageable sub-graph we call the context of $W$. The context of $W$ is defined as including:

1) all translations of $W$ in any language, $\operatorname{trans}(W)$
2) for each element in $\operatorname{trans}(W)$, all its translations $\operatorname{trans}(\operatorname{trans}(W))$
3) for each element in $\operatorname{trans}(\operatorname{trans}(W))$, all its translations $\operatorname{trans}(\operatorname{trans}(\operatorname{trans}(W)))$

Context $(W)=W+\operatorname{trans}(W)+\operatorname{trans}(\operatorname{trans}(W))+$ $\operatorname{trans}(\operatorname{trans}(\operatorname{trans}(\mathrm{W})))$

This gives a list of "source/target" pairs, like doll/nina, тип̃eca/poupé, тии̃eca-pojno etc that constitutes the context of W (doll).
Once the Context of $W$ is defined, we can compute the cycles of $\boldsymbol{W}(\operatorname{cycles}(\mathrm{W})$ ) occurring in that Context. Namely, those paths starting and ending in $W$ with no node repetitions. When computing cycles, we limit their length to avoid over computation, thus whenever a path reaches 7 nodes (or 6 to speed up experiments) and no cycle has been found the path is rejected. Optionally we can remove cycles containing nodes with repeated languages (disallowing the cycles we discussed before involving poignet-fr and canell-ca).
Having $\operatorname{cycles}(W)$ allows identifying the potential targets of $W$, that is: those words in the cycles $(W)$ which are not directly linked to $W$. Note that words in the Context(W) which are not in a cycle are discharged as potential targets. This means that nodes beyond bridges are 'dismissed' (a bridge is an edge whose removal renders the graph disconnected). The dimension of Context(W) and the number of cycles it contains, varies from word to word. Thus we find large contexts such as that for boy (with 194 nodes and 539 vertices) and rather small contexts as that of veterinarian (with 15 nodes and 31 vertices).
Finally, for each potential target T , we get the cycles containing T and calculate their density (where density is the ration between vertices ad edges: $\mathrm{D}=\mathrm{V} / \mathrm{N}^{*}(\mathrm{~N}-1)$. We use the more dense cycle to assign the confidence score so that T be an admissible translation of W . In the example below, we give the results for 'doll - poupée', in the 'no language repetition' mode:
doll -en / poupée-fr score $\mathbf{0 . 8 3 3 3 3}$
Best cycle: doll-en $\rightarrow$ pupo-eo $\rightarrow$ poupée-fr' $\rightarrow$ nina-ca $\rightarrow$ doll-en

## 5. Some illustrative examples

In Table 1 we show some examples involving different root words, namely: doll, wrist, poignet, rede and bambino. For each root word we give: (i) the number of different words in its context (nodes), (ii) the number of translation pairs in the context (edges), (iii) the number and the list of already known targets in the Apertium data and (iv) the number and list of potential targets found, together with the confidence score. In these examples, we run the experiment allowing for language repetition in cycles. Since we do not want to introduce wrong translations, we opt for higher precision at the expense of recall, and, therefore, defined a threshold of 0.7.
In the doll example we correctly get a higher score for poupée ( 0.833 ) than to poignet or canell that fall below the threshold (0.6). We cannot avoid the 0.7 score to pojno because of the incorrect links to poupée in the source data, as mentioned above. In the wrist example, correlated polysemy wrongly produces poupée together with the correct poignet. In the poignet example we get 4 correct translations while getting lower scores for wrong "doll sense" targets (i.e. doll, nina, boneca and pipa). In next section we address again these 'extreme' examples.
The Portuguese rede example (meaning net) demonstrates that when correlated polysemy is not involved results are expectedly good, with both high precision and excellent coverage.
Finally, the bambino example, in the last column, shows that even in the case when the root word only has correspondences to one single language, Catalan in this case, the system is able to produce good results. In this example, we get 15 translations out of a context with 83 different words. Notice that, if instead of having two initial translations as in here (nen and xiquet) we had only one; no cycle would have been created. Note, however, that few good translations are rejected. Finally, notice that running the experiment with the 'no repetition language' option would produce no results.

As we will see in Section 6, cycle's density alone is not enough to discriminate wrong targets introduced by correlated polysemy.

| ROOT | doll (EN) | wrist(EN) | poignet (FR) | rede(PT) | bambino(IT) |
| :---: | :---: | :---: | :---: | :---: | :---: |
| words | 58 | 43 | 37 | 41 | 83 |
| trans. pairs | 135 | 100 | 89 | 108 | 212 |
| known targets | muñeca-es muñeco-es nina-ca moneca-gl boneca-gl pupo-eo | $\begin{array}{r} \text { canell-ca } \\ \text { muñeca-es } \\ \text { pulso-gl } \\ \text { moneca-gl } \\ \text { manradiko-eo } \\ \text { manartiko-eo } \\ \text { pojno-eo } \\ \text { eskumutur-eu } \end{array}$ | muñeca-es pojno-eo manumo-eo manartiko-eo manradiko-eo | $\begin{array}{r} \text { xarxa-ca } \\ \text { xàrxia-ca } \\ \text { red-es } \\ \text { rede-gl } \\ \text { hamaca-es } \end{array}$ | xiquet-ca nen-ca |
| Potential targets | canell-ca 0.6 boneco-pt $\mathbf{0 . 7}$ poupée-fr $\mathbf{0 . 8 3 3}$ ninot-ca 0.6 monyica-ca 0.6 pipót-oc 0.533 bambola-it 0.6 pojno-eo $\mathbf{0 . 7}$ pipa-oc $\mathbf{0 . 8 3 3}$ poignet-fr 0.6 | poupée-fr 0.833 <br> monyica-ca 0.6 <br> nina-ca 0.7 <br> bambola-it 0.6 <br> pipa-oc 0.6 <br> poignet-fr 0.833 | wrist-en $\mathbf{0 . 8 3 3}$ eskumutur-eu $\mathbf{0 . 7}$ puny-ca 0.666 doll-en 0.6 nina-ca 0.523 canell-ca $\mathbf{0 . 8 3 3}$ moneca-gl $\mathbf{0 . 7}$ boneca-gl 0.523 pipa-oc 0.464 | filat-oc 0.833 ret-oc 0.833 hialat-oc 0.833 rete-it 0.7 sare-eu 0.7 net-en 0.833 filet-fr 0.7 reseau-fr 0.833 network-en 0.833 hilat-oc 0.833 | nene-es 0.7 girl-en 0.666 menino-pt 0.7 child-en 0.7 boy-en 0.666 chiquillo-es 0.571 criança-pt 0.6 mainat-oc 0.7 niño-es 0.7 kid-en 0.7 |


|  |  |  |  | malhum-oc 0.833 <br> xarxa-oc 0.833 <br> reto-eo 0.833 <br> fialat-oc 0.83 | knabo-eo 0.7 <br> peque-es 0.666 <br> mainatge-oc 0.7 <br> mainada-oc 0.715 <br> enfant-fr 0.666 |
| :--- | :--- | :--- | :--- | ---: | ---: |

Table 1: Examples with some root words: doll, wrist, poignet, rede and bambino.

| ROOT | forest-en |  |  |
| :---: | :---: | :---: | :---: |
| Words (nodes) in context (88) | bòsc-oc, verre-fr, vidrio-es, vaso-gl, leña-es, fuorto-eo, llenya-ca, búcaro-es, floresta-pt, monte-es, arboleda-es, floreiro-gl, llenyam-ca, ligno-eo, pahar-ro, veire-oc, xerro-gl, bosco-it, vazo-eo, selva-ast, wood-en, sèuva-oc, vaso-es, bosque-pt, viesca-ast, gerro-ca, bosko-eo, jarro-es, vas-ca, kristal-eu, arbareto-eo, fusta-ca, exploitationforestière-fr, beira-eu, vidre-ca, forsto-eo, forest-en, brulligno-eo, bois-fr, foresta-it, copa-ca, selva-pt, bosc-ca, copo-pt, madeira-gl, floresta-es, kornaro-eo, pinar-es, pitxer-ca, fort-fr, abiarbaro-eo, baso-eu, boscatge-ca, jarrón-es, glass-en, zur-eu, got-ca, cristal-es, glaso-eo, bosque-gl, monte-ast, selva-es, kornobranaro-eo, arbreda-ca, fustam-ca, copa-es, fraga-gl, mata-ast, madera-es, copa-gl, pdure-ro, pineda-ca, praarbaro-eo, vase-en, vidro-gl, codru-ro, bosque-es, pinarbaro-eo, cristal-gl, selva-ca, selva-gl, montaña-es, ornamavazo-eo, arbaro-eo, angalo-eo, woodland-en, vitro-eo, vasu-ast |  |  |
| Edges in context |  |  | 161 |
| Known targets (9) | bosc(ca), bosque(es), fraga(gl), bosque(gl), arbaro(eo), abiarbaro(eo), pinarbaro(eo), forsto(eo), baso(eu) |  |  |
| Potential targets (6) | $\begin{array}{ll} \hline \text { bois(fr) } & 0.900 \\ \text { fort(fr) } & 0.900 \end{array}$ | bósc(oc) 0.833 bosque(pt) 0.833 | $\begin{array}{rr} \hline \text { floresta(pt) } & \mathbf{0 . 7 0 0} \\ \text { selva(es) } & 0.619 \end{array}$ |
| Dismissed words (73) | exploitationforestière-fr, madeira-gl, angalo-eo, verre-fr, sèuva-oc, vidrio-es, pdure-ro, vaso-es, vaso-gl, floresta-es, jarro-es, leña-es, pineda-ca, vase-en, fuorto-eo, pitxer-ca, cristal-gl, viesca-ast, pinar-es, boscatge-ca, gerro-ca, bosko-eo, glass-en, llenya-ca, vidro-gl, codru-ro, monte-es, búcaro-es, foresta-it, vas-ca, kristal-eu, arbareto-eo, zur-eu, cristal-es, jarrón-es, glaso-eo, selva-pt, arboleda-es, floreiro-gl, llenyam-ca, beira-eu, monte-ast, ligno-eo, selva-gl, copa-gl, vidre-ca, pahar-ro, montaña-es, ornamavazo-eo, madera-es, forest-en, got-ca, vasu-ast, fusta-ca, kornaro-eo, copa-es, kornobranaro-eo, arbreda-ca, brulligno-eo, fustam-ca, veire-oc, xerro-gl, copa-ca, woodland-en, selva-ca, mata-ast, vitro-eo, bosco-it, praarbaro-eo, copo-pt, vazo-eo, selva-ast, wood-en |  |  |
| Num of cycles |  |  | 1261 |
| Cycles with P.T. |  |  | 1204 |
| Uniq Lang Cycles |  |  | 476 |

Table 2: "Forest-en" full example

| bois-fr | 0.9 | 5 | [bosque-es, bosc-ca, bois-fr, arbaro-eo, forest-en] |
| :--- | ---: | :--- | :--- |
| fort-fr | 0.9 | 5 [bosque-es, fort-fr, bosc-ca, arbaro-eo, forest-en] |  |
| bòsc-oc | 0.833 | 4 [bosque-es, bòsc-oc, bosc-ca, forest-en] |  |
| bosque-pt | 0.833 | 4 [bosque-gl, bosque-pt, bosque-es, forest-en] |  |
| floresta-pt | 0.7 | 5 [fraga-gl, floresta-pt, bosque-gl, bosque-es, forest-en] |  |
| selva-es | 0.619 | 7 [bosque-es, bosc-ca, arbaro-eo, fort-fr, selva-es, baso-eu, forest-en] |  |

Table 3: "Forest-en" best targets \& cycles (with repeated languages)
$\left.\begin{array}{|lrl|}\hline \text { bois-fr } & 0.9 & 5 \\ \text { fort-fr } & 0.9 & 5 \text { [bosque-es, bosc-ca, bois-fr, arbaro-eo, forest-en] } \\ \text { bosque-pt } & 0.833 & 4 \text { [bosque-es, fort-fr, bosc-ca, arbaro-eo, forest-en] } \\ \text { bòsc-oc } & 0.833 & 4 \text { [bosque-es, bòsc-oc, bosc-ca, forest-en] } \\ \text { selva-es } & 0.533 & 6\end{array}\right]$ [bosc-ca, arbaro-eo, fort-fr, selva-es, baso-eu, forest-en] $]$

Table 4: "Forest-en" best targets \& cycles (without repeated languages)

In Table 2 we give the complete example for the English word forest. This full example shows that the set of context words, which is usually rather large, may include semantically related words, such as selva, pinar and madera together with totally unrelated words introduced by polysemic nodes in the cycle. Thus, in the apparently uncontroversial case of forest, the context includes unexpected words such as vase, vaso, glass, cristal, etc introduced by the polysemic Basque word baso (meaning forest and glass). Because these words do not occur in any cycle of forest, they are not considered as potential targets. It is interesting to see the number of dismissed words, up to 73 and the number of cycles found: 1261 when allowing for language repetitions and 476 when disallowing repetition. Finally, tables 3 and 4 give the scores obtained when running in repetition/non-repetition language modes respectively. Note that, when disallowing language repetition, floresta-pt is no longer considered and the Spanish candidate selva gets a lower score.
As a final note, we observe that in all cases the results obtained imply a substantial increase of lexical coverage. Table 5 shows the increase gained for each root word from the examples above.

| Root | Known tr. | New tr. | Increment |
| :--- | ---: | ---: | ---: |
| doll -en | 6 | 4 | $66 \%$ |
| poignet-fr | 5 | 4 | $80 \%$ |
| rede-pt | 5 | 14 | $280 \%$ |
| bambino-it | 2 | 9 | $450 \%$ |
| forest-en | 9 | 5 | $55,55 \%$ |

Table 5: Increase in number of translations
It is also interesting to observe the coverage increase in terms of target languages involved.

| Root | Lang | New Lang | \% |
| :--- | :--- | ---: | :---: |
| doll -en | es, ca, gl, eo | $\mathrm{pt}, \mathrm{fr}, \mathrm{oc}$ | $75 \%$ |
| poignet-fr | $\mathrm{es}, \mathrm{eo}$ | en, eu ,ca, gl | $200 \%$ |
| rede-pt | $\mathrm{ca}, \mathrm{e}, \mathrm{gl}$ | oc, it,eu, en,fr,eo | $200 \%$ |
| bambino-it | ca | es, pt, en oc, eo | $500 \%$ |
| forest-en | ca, es, gl, eo, <br> eu | $\mathrm{fr}, \mathrm{oc}, \mathrm{pt}$ | $55,5 \%$ |

Table 6: Increase in number of languages

## 6. Experiments

In order to evaluate our method, two different experiments were performed. In the first one, the original EN-ES translation set was removed from the Apertium RDF Graph and a new EN-ES version was generated. The results were compared against the previously removed EN-ES data and against the "Concise Oxford Spanish Dictionary: Spanish-English/English-Spanish" dictionary (COSD) ${ }^{2}$. In the second experiment a new

[^1]non-existent EN-FR translation set was generated. In this case the results were compared against a converted wiktionary English-French file ${ }^{3}$.
Table 7 gives some figures for the two scenarios. In the EN-ES experiment we had three different translation sets involving English with a total amount of 39839 correspondences (translations). In the EN-FR experiment, we had four different translation sets involving English with a total amount of 52574 correspondences.

| EN-ES | EN-FR |
| ---: | ---: |
| 14613 EN-CA | 14613 EN-CA |
| 16258 EN-EO | $16258 \mathrm{EN}-\mathrm{EO}$ |
| $8968 \mathrm{EN}-\mathrm{GL}$ | $12735 \mathrm{EN}-\mathrm{SS}$ |
| Total: 39839 | Total: 52574 |

Table 7: Number of translations in both experiments
We run the EN-ES experiment on the list of 18356 distinct English nouns in the Apertium RDF Graph and got the following results:

| Total English nouns tested | 18356 | $100 \%$ |
| :--- | ---: | ---: |
| Nouns with no Spanish <br> cycle/potential target | 12880 | $70.16 \%$ |
| Nouns with Spanish cycle/potential <br> target | 5476 | $29.83 \%$ |

Table 8: Results for the EN nouns
The 5476 nouns with a Spanish cycle produced a total amount of 6578 potential targets when running in 'no-language repetition' mode and 7007 when allowing for language repetition. Tables 9 and 10 show the results when testing these candidates against the reference dictionaries. In Table 9 we can see the scores when testing against the Apertium original dataset. Scores for the 'non-language repetition' mode are on the left and scores for 'language repetition' mode on the right. Note that only the $0.08 \%$ of suggested targets got a score below 0.5 (for no-repetition mode) and $0.44 \%$ in the case of repetition mode.

[^2]| TARGETS | $\%$ | SCORE | TARGETS | $\%$ | SCORE |
| ---: | ---: | ---: | ---: | ---: | ---: |
| 5 | $0.08 \%$ | 0.4667 | 31 | $0.44 \%$ | 0.4667 |
| 240 | $3.65 \%$ | 0.5000 | 2 | $0.03 \%$ | 0.4762 |
| 57 | $0.87 \%$ | 0.5333 | 227 | $3.24 \%$ | 0.5000 |
| 247 | $3.75 \%$ | 0.5500 | 3 | $0.04 \%$ | 0.5179 |
| 29 | $0.44 \%$ | 0.5667 | 90 | $1.28 \%$ | 0.5333 |
| 108 | $1.64 \%$ | 0.6000 | 4 | $0.06 \%$ | 0.5476 |
| 236 | $3.59 \%$ | 0.6500 | 232 | $3.31 \%$ | 0.5500 |
| 322 | $4.90 \%$ | 0.6667 | 148 | $2.11 \%$ | 0.5667 |
| 107 | $1.63 \%$ | 0.7000 | 1 | $0.01 \%$ | 0.5714 |
| 2800 | $42.57 \%$ | 0.7500 | 180 | $2.57 \%$ | 0.6000 |
| 70 | $1.06 \%$ | 0.8333 | 88 | $1.26 \%$ | 0.6333 |
| 2357 | $35.83 \%$ | 0.9167 | 234 | $3.34 \%$ | 0.6500 |
| 6578 |  |  | 371 | $5.29 \%$ | 0.6667 |
|  |  |  | 130 | $1.86 \%$ | 0.7000 |
|  |  |  | 2836 | $40.47 \%$ | 0.7500 |
|  |  |  | 3 | $0.04 \%$ | 0.7667 |
|  |  |  | 70 | $1.00 \%$ | 0.8333 |
|  |  |  | 2357 | $33.64 \%$ | 0.9167 |

Table 9 Testing against the Apertium EN-ES data

Similarly, the results are also very good when validating the candidates against the COSD dictionary. In this case, however, the amount of potential translation pairs found in the reference dictionary is lower: 4902 out of 6578 ( $74.52 \%$ ) when running in no-repetition mode and 5030 out of 7007 ( $71.78 \%$ ) when allowing for language repetition. It is clear that, in this scenario, cycle computation produced some 'extra' candidates that could not be evaluated against the reference data. We may argue that these 'extra' candidates are wrong candidates as they are not included in the COSD dictionary but the fact that they are all in the original Apertium Translation Set led us to consider them 'good' candidates. In any case, for the potential targets that could be checked against reference data the results prove that nearly all of them got a score above 5 .

| TARGETS | \% | SCORE | TARGETS | \% | SCORE |
| ---: | ---: | ---: | ---: | ---: | ---: |
| 3 | $0.06 \%$ | 0.4667 | 16 | $0.32 \%$ | 0.4667 |
| 85 | $1.73 \%$ | 0.5000 | 80 | $1.59 \%$ | 0.5000 |
| 24 | $0.49 \%$ | 0.5333 | 28 | $0.56 \%$ | 0.5333 |
| 182 | $3.71 \%$ | 0.5500 | 173 | $3.44 \%$ | 0.5500 |
| 20 | $0.41 \%$ | 0.5667 | 61 | $1.21 \%$ | 0.5667 |
| 42 | $0.86 \%$ | 0.6000 | 69 | $1.37 \%$ | 0.6000 |
| 171 | $3.49 \%$ | 0.6500 | 29 | $0.58 \%$ | 0.6333 |
| 173 | $3.53 \%$ | 0.6667 | 178 | $3.54 \%$ | 0.6500 |
| 47 | $0.96 \%$ | 0.7000 | 181 | $3.60 \%$ | 0.6667 |
| 2030 | $41.41 \%$ | 0.7500 | 54 | $1.07 \%$ | 0.7000 |
| 50 | $1.02 \%$ | 0.8333 | 2050 | $40.76 \%$ | 0.7500 |
| 2075 | $42.33 \%$ | 0.9167 | 2 | $0.04 \%$ | 0.7667 |
| 4902 |  |  | 50 | $0.99 \%$ | 0.8333 |
|  |  |  | 2075 | $41.25 \%$ | 0.9167 |

Table 10 Testing against the COSD dictionary
For the EN-FR experiment, we wanted to validate the candidates against the reference data. Since our reference dictionary was a rather small one, we run the experiment
on the set of 4824 English nouns in that dataset ${ }^{4}$. As the table below shows, 2112 English words provided some cycle with a French candidate, 1415 words did not provide any French cycle and 1297 words were 'irrelevant' for our purposes (irrelevant words are those which fail to provide any results in any of the 3 successive SPARQL queries we run to set the context of W). ${ }^{5}$

| Total English nouns tested | 4824 | $100 \%$ |
| :--- | ---: | ---: |
| 'irrelevant' in Apertium data | 1297 | $26.88 \%$ |
| In Apertium but no 'French' cycle | 1415 | $29.33 \%$ |
| In Apertium with 'French' <br> cycle/potential target | 2112 | $43.78 \%$ |

These 2112 English nouns produced 2745 potential French targets that were evaluated against the reference dictionary. As shown in table below, 1858 candidates were found in the reference data whereas 887 candidates were not found there.

| EN-FR pairs produced by the cycle <br> computation | 2545 | $100 \%$ |
| :--- | ---: | ---: |
| also found in the wiktionary data | 1858 | $73 \%$ |
| not found in the wiktionary data | 887 | $27 \%$ |

Table 11 summarizes the scores obtained for the 1858 EN-FR candidate pairs also included in the reference dictionary. Again, all validated candidates (all but 3) got a score above 0.5.

| TARGETS | \% | SCORE |
| ---: | ---: | ---: |
| 3 | $0.16 \%$ | 0.467 |
| 12 | $0.65 \%$ | 0.500 |
| 11 | $0.59 \%$ | 0.533 |
| 53 | $2.85 \%$ | 0.600 |
| 53 | $2.85 \%$ | 0.667 |
| 83 | $4.47 \%$ | 0.700 |
| 913 | $49.14 \%$ | 0.833 |
| 730 | $39.29 \%$ | 0.900 |
| 1858 |  |  |

## Table 11: EN-FR validation results

Though an initial manual inspection showed that the 'extra' translations (the $27 \%$ not included in the reference data) were correct, we checked the doll/wrist examples and found that (i) in the 'no language repetition' mode the wrong pair doll/poignet was no longer produced but (ii) the wrist/poupée pair was produced in both modes (and with a high score). Though we were not able to perform a complete checking, we may conclude that 'extra' targets are correct except when correlated polysemy occurs.
This led us to be more restrictive when accepting candidate cycles by imposing some conditions.

[^3]Essentially, we force longer cycles (5 or 6 nodes minimum depending on the contexts) and relay on cycle density, assuming that in dense cycles the probability of identifying new source/target candidates is higher. Note, however, that 'cycle density' evaluates source-target probability without considering source nor target themselves; only the density of the cycle is considered. In correlated polysemy scenarios, 'wrong potential targets' are expected to have less degree than 'right' ones. This led us to include source and target degree into the formula (node degree is the number of edges connected to the node). Basically, we require that at least source or target need to have more than two edges. The eventual calculation goes as follows:
(1) minimal length of cycles: for words with small contexts we require at least 5 nodes, for words with big contexts we require a minimum of 6 nodes. Small contexts are those where the root word has up to 5 translations. Big contexts are those in which the root word has more than 5 translations.
(2) when target has >2 edges, we calculate density score and get those above 0.5 (nearly all)
(3) when target has only 2 edges, we require that source word be linked at least with $50 \%$ of the far-nodes' and require a score above 0.7. Far nodes are those in the cycle of W that are not next to W. This means that in a 6 node cycle like: W--N1--TARGET--N2--N3--N4--W all nodes but TARGET are required to be linked to W .

Note that without these restrictions, in the wrist example, we got the same results for poignet and poupée. As we can see below, accepting small cycles (4 nodes) produces wrong candidates when cross polysemy occurs:

| score | cycle / potential target |
| :--- | :--- |
| 0.833 | pojno-eo, poupée-fr, muñeca-es, wrist |
| 0.833 | pojno-eo, poignet-fr, muñeca-es, wrist |

When requiring longer cycles we get lower scores and some candidates may be refused. Now, in the wrist example (Table 12), both poignet and poupée are refused as they only have 2 edges and 0.6 score. Though we miss a good target, at this point, we rather prefer precision than recall. Note here, that in the poignet case, one could expect a " 3 edge" target (as in the case that poignet were correctly linked to canell or monecan); whereas in the poupée case, a " 3 edge" target is not possible (as poupée is 'out of context'). Note, finally, that wrist correctly generates two targets (nina and pipa) as these have 3 edges (as expectedly, 'doll' senses are better connected in the doll cycle)

| score |  | cycle / potential target /edges |
| ---: | ---: | :--- |
| 0.666 | fail | monecan-gl, muñeca-es, poignet-fr-(2), <br> pojno-eo, canell-ca, wrist |
| 0.666 | fail | moneca-gl, muñeca-es, poupée-fr-(2), <br> pojno-eo, canell-ca, wrist |
| 0.6 | OK | pojno-eo, poupée-fr, nina-ca-(3), <br> pipa-oc, muñeca-es, wrist |
| 0.6 | OK | pojno-eo, poupée-fr, nina-ca, <br> pipa-oc-(3), muñeca-es, wrist |

In the doll example in Table 13, all candidates are correctly generated as they all have 3 edges (a 'good' connectivity) and a score above 0.5 . As we saw in Section 3, poignet occurs as potential target in "language repetition mode", but even in this case, poignet would be rejected as it only has 2 edges as it occurs in a "doll sense" cycle.

| score |  | cycle / potential target /edges |
| ---: | ---: | ---: |
| 0.666 | OK | pupo-eo, poupée-fr, nina-ca, <br> boneco-pt-(3), muñeco-es, doll |
| 0.666 | OK | pupo-eo, poupée-fr, nina-ca, pipa-oc-(3), <br> muñeca-es, doll |
| 0.6 | OK | nina-ca, poupée-fr, pojno-eo--(3), <br> muñeca-es, moneca-gl, doll |
| 0.666 | OK | pupo-eo, poupée-fr-(3), nina-ca, pipa-oc, |
| muñeca-es, doll |  |  |

Table 13: the doll example
Imposing restrictions on cycle length has consequences as some words are not able to produce 'long' cycles. For example, the English noun abacus would produce no candidates if it were required to have 6 -node cycles but correctly produces a new target if we allow for 5-node cycles:
Assuming that polysemic words trigger big contexts, we may argue that "small contexts" do not involve (many) polysemic words. This allowed us being less restrictive and permit shorter cycles ( 5 nodes) when dealing with small contexts. Note that in any case, we are dealing with cycles involving 5 languages. Fig 4 describes different examples. Doll, wrist and forest have big contexts; with 6, 8 and 9 known targets and imply a rather big number of nodes and edges. For forest, cycle computation rejects 73 words. These include the non-forest meanings introduced by polysemic words in the context. Alpha, abacus and action have small contexts. They only have 3 and 5 known translations and imply a rather small number of nodes and edges.

|  | k.targets | nodes | edges | p.targets | refused |
| :--- | ---: | ---: | ---: | ---: | ---: |
| alpha | 3 | 6 | 14 | 1 | 1 |
| abacus | 3 | 16 | 33 | 1 | 11 |
| academy | 5 | 14 | 40 | 2 | 6 |
| doll | 6 | 58 | 135 | 10 | 41 |
| wrist | 8 | 43 | 100 | 6 | 28 |
| forest | 9 | 88 | 161 | 6 | 73 |

Note that in the case of alpha the system finds a 5-node cycle and identifies a potential target (alfa-pt) but this is rejected as it has a low degree and the cycle a low density. Abacus, also involves a 5-node cycle and a low degree target. In this case however, the density score is 0.8 . Finally, academy, manages to provide two new targets as in both cases, they got a high density score.

| score |  | cycle / potential target/edges |
| ---: | ---: | :--- |
| 0.6 | fail | alfa-gl, alfa-pt-(2), alfa-es, alfa-ca, alpha-en |
| 0.8 | ok | abako-eo, ábaco-es, abac-oc-(2), àbac-ca, <br> abacus-en |
| 0.8 | ok | akademio-eo, academia-es, <br> academia-oc-(2), acadèmia-ca, academy-en |


| 0.9 | ok | akademio-eo, academia-es, académie-fr-(3), <br> acadèmia-ca, academy-en |
| :---: | :---: | :--- |

Table 14: Small contexts examples
Taking the forest example we discussed in section 5, we observe that when running the experiment with this new restrictive criteria the system still manages to produce 4 candidates (bosque-pt, bois-fr, bòsc-oc and fort-fr) and rejects selva-es:

| score | cycle / potential target/edges |
| :---: | :--- |
| 0.73 | bosque-gl, bosque-pt-(3), bosque-es, bosc-ca, <br> arbaro-eo, forest-en |
| 0.73 | fraga-gl, bosque-es, bosc-ca, bois-fr-(3), <br> arbaro-eo, forest-en |
| 0.53 | bosc-ca, arbaro-eo, fort-fr, selva-es-(2), <br> baso-eu, forest-en |
| 0.73 | fraga-gl, bosque-es, bòsc-oc-(3), bosc-ca, <br> arbaro-eo, forest-en |
| 0.73 | fraga-gl, bosque-es, fort-fr-(3), bosc-ca, <br> arbaro-eo, forest-en |

## Table 15 The forest example

To evaluate the productivity of the system when applying the new restrictive algorithm, we run again the experiment against the 5476 English nouns that provide some cycle in the EN-ES experiment and got the results in Table 16. Figures in italics are for the rejected targets ( $30 \%$ ) and the T.d. column shows the number of edges for the involved target. Note that about $21 \%$ of the words did not produced any accepted cycle (those with score 0.00) either because the cycles had less than 5 nodes or because the target two edges. Few candidates (8\%) were rejected because of the low degree of source/target and low density. Finally, 4579 candidates $(70 \%)$ are accepted.

| targets | \% | score | T.d. | targets | \% | score | T.d. |
| ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| 8 | $0.1 \%$ | 0.70 | 2 | 1354 | $21 \%$ | 0.00 | 2 |
| 214 | $3.3 \%$ | 0.75 | 2 | 133 | $2 \%$ | 0.00 | 3 |
| 50 | $0.8 \%$ | 0.50 | 3 | 25 | $0 \%$ | 0.50 | 2 |
| 39 | $0.6 \%$ | 0.53 | 3 | 220 | $3 \%$ | 0.55 | 2 |
| 253 | $3.9 \%$ | 0.57 | 3 | 20 | $0 \%$ | 0.57 | 2 |
| 107 | $1.6 \%$ | 0.60 | 3 | 27 | $0 \%$ | 0.60 | 2 |
| 173 | $2.6 \%$ | 0.63 | 3 | 213 | $3 \%$ | 0.65 | 2 |
| 657 | $10.0 \%$ | 0.65 | 3 | 1992 | $30 \%$ |  |  |
| 13 | $0.2 \%$ | 0.67 | 3 |  |  |  |  |
| 926 | $14.1 \%$ | 0.75 | 3 |  |  |  |  |
| 687 | $10.5 \%$ | 0.85 | 3 |  |  |  |  |
| 87 | $1.3 \%$ | 0.57 | 4 |  |  |  |  |
| 685 | $10.4 \%$ | 0.63 | 4 |  |  |  |  |
| 680 | $10.3 \%$ | 0.70 | 4 |  |  |  |  |
| 4579 | $69.7 \%$ |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |

## 7. Discussion

Cycle computation produces a list of pair candidates (in any language) with a confidence score. The sample examples reported in section 5 demonstrate that cycle computation is quite productive both in terms of new
translation candidates and in terms of new target languages involved.
In the experiments reported in section 6, candidates were validated against three 'reference' dictionaries. For the set of candidate pairs that could be checked in the reference dictionaries, validation demonstrates cycle computation correctly identifies them
In some cases, pair candidates were not found in the reference dictionaries, so no validation was possible for them. In the EN-ES experiment we argued that since the 'extra' candidates in the COSD case, were included in the original Apertium data, they were correct. In the EN-FR experiment we initiated a manual checking that, initially, led us to assume that 'extra' candidates were also correct. However, when checking the doll/wrist case (as representative examples of correlated polysemy, the worst scenario) we found that in such extreme cases, the system did not perform well and wrongly produced incorrect targets. This led us to be more restrictive when admitting cycles and producing new targets (essentially, we require longer cycles and impose some restrictions on node's degree).
The eventual experiment, performs well for the extreme case of correlated polysemy but, obviously, is less productive. Note, however that in the EN-ES experiment, cycle computation would automatically produce 4579 EN-ES new translation pairs which constitutes the 35.95\% of the original EN-ES data. Though productivity depends on source data, we understand that some adjustments can be applied to increase productivity for the $24 \%$ of words that fail to produce an 'accepted' cycle.

## 8. Conclusions

The experiments presented here exploit the properties of the Apertium RDF Graph, principally nodes' degree and cycle density, to automatically generate new translation relations between words, and therefore enrich existing Apertium bilingual dictionaries with new entries. We understand that successive executions would provide even better results in terms of 'coverage'. The results we got are still preliminary but promising and lead us to address the possibility to use cycles and nodes degree to identify potential oddities in the source data. If cycle density proves efficient when considering potential targets, we can assume that in dense graphs nodes with low degree may indicate a potential error.

Crucial in this such a scenario is the notion of context of $\mathbf{W}$ which allows focusing the computation on a limited sub-graph. Further refinements can be applied when setting the context of $\mathbf{W}$ not only the $+/$ - language repetition mode we already applied but also limiting the context within a specific subset of languages.

## 9. Source data

Source data can be found at https://github.com/martavillegas/ApertiumRDF

## 10. Acknowledgements

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[^0]:    ${ }^{1} \mathrm{https}$ ://www.apertium.org

[^1]:    ${ }^{2}$ With 13785 en-es correspondences for nouns.

[^2]:    ${ }^{3} \mathrm{http}: / /$ wiki.webz.cz/dict/files/english-french.txt

[^3]:    ${ }_{5}^{4}$ The ones we knew we could check.
    5 For EN-FR experiment differences between no-repetition and repetition mode were so small that we only report the non-repetition figures.

