#### Integrating Morphology in Probabilistic Translation Models

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joint work with Jon Clark, Alon Lavie, and Noah Smith

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# So far so good,

but....

















I. Source language inflectional richness.





























I. Source language inflectional richness.

2. Target language inflectional richness.









#### Rückenschmerzen



Tuesday, January 25, 2011



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I. Source language inflectional richness.

2. Target language inflectional richness.

3. Source language sublexical semantic compositionality.

### **General Solution**

#### MORPHOLOGY











#### Al# Abama (looks like Al + OOV)

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## But...Ambiguity!

- Morphology is an inherently ambiguous problem
  - Competing linguistic theories
  - Lexicalization
- Morphological analyzers (tools) make mistakes
- Are minimal linguistic morphemes the optimal morphemes for MT?

I. Source language inflectional richness.

2. Target language inflectional richness.

3. Source language sublexical semantic compositionality.

4. Ambiguity everywhere!
### **General Solution**

# MORPHOLOGY + PROBABILITY

# Why probability?

- Probabilistic models formalize uncertainty
- e.g., words can be formed via a morphological derivation according to a joint distribution:

*p*(word, derivation)

• The probability of a word is naturally defined as the marginal probability:

$$p(word) = \sum_{derivation} p(word, derivation)$$

 Such a model can even be trained observing just words (EM!) p(derived) =
p(derived, de+rive+d) +
p(derived, derived+Ø) +
p(derived, derive+d) +
p(derived, deriv+ed) + ...

### Outline

- Introduction: 4 problems
- Three probabilistic modeling solutions
  - Embracing uncertainty: multi-segmentations for decoding and learning
  - Rich morphology via sparse lexical features
  - Hierarchical Bayesian translation: infinite translation lexicons
- Conclusion

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#### AlAbAmA







# Two problems

- We need to decode lots of similar source candidates efficiently
  - Lattice / confusion network decoding

Kumar & Byrne (EMNLP, 2005), Bertoldi, Zens, Federico (ICAASP, 2007), Dyer et al. (ACL, 2008), *inter alia* 

# Two problems

- We need to decode lots of similar source candidates efficiently
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Kumar & Byrne (EMNLP, 2005), Bertoldi, Zens, Federico (ICAASP, 2007), Dyer et al. (ACL, 2008), *inter alia* 

- We need a model to generate a set of candidate sources
  - What are the right candidates?

**Requirement**: a probabilistic model  $p(\mathbf{f}'|\mathbf{f})$  that transforms  $\mathbf{f} \rightarrow \mathbf{f}'$ 

**Possible solution**: a discriminatively trained model, e.g., a CRF

**Required data**: example (f,f') pairs from a linguistic expert or other source

### What is the best/right analysis ... for MT? AlAntxAbAt

(DEF+election+PL)

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Some possibilities: Sadat & Habash (NAACL, 2007) AlAntxAb +At Al+ AntxAb +At Al+ AntxAbAt AlAntxAbAt

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Some possibilities: Sadat & Habash (NAACL, 2007) AlAntxAb +At Al+ AntxAb +At Al+ AntxAbAt AlAntxAbAt Let's use them all!

### Wait...multiple references?!?

- Train with EM variant
- Lattices can encode very large sets of references and support efficient inference

Dyer (NAACL, 2009), Dyer (thesis, 2010)

### Wait...multiple references?!?

- Train with EM variant
- Lattices can encode very large sets of references and support efficient inference

Dyer (NAACL, 2009), Dyer (thesis, 2010)

- Bonus: annotation task is **much** simpler
  - Don't know whether to label an example with A or B?
  - Label it with **both**!

### Reference Segmentations





# Just 20 features

- Phonotactic probability
- Lexical features (in vocab, OOV)
- Lexical frequencies
- Is high frequency?
- Segment length

#### https://github.com/redpony/cdec/tree/master/compound-split 48

#### Input: tonbandaufnahme

#### Input: tonbandaufnahme



#### Input: tonbandaufnahme





Recall

### Translation Evaluation

Input	BLEU	TER
Unsegmented	20.8	61.0
I-best segmentation	20.3	60.2
Lattice (a=0.2)	21.5	<b>59.8</b>

in police raids found illegal guns , ammunition **stahlkern** , **laserzielfernrohr** and a machine gun .

in police raids found with illegal guns and ammunition **steel core**, a **laser objective telescope** and a machine gun.

#### **REF:**

police raids found illegal guns , **steel core** ammunition , a **laser scope** and a machine gun .

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# What do we see when we look inside the IBM models?

(or any multinomial-based generative model...like parsing models!)



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bid	altes alte alt alter gammelig	0.3 0.1 0.2 0.1 0.1	car	Wagen Auto PKW	0.2 0.6 0.2
	gammelige	s 0.1			



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bid	altes alte alt alter alter σammeliσ	0.3 0.1 0.2 0.1 0.1	car	Wagen Auto PKW	0.2 0.6 0.2
	gammelig gammelig <mark>e</mark>	0.1 s 0.1			

# **DLVM for Translation**

#### **Addresses problems:**

- I. Source language inflectional richness.
- 2. Target language inflectional richness.

#### How?

I. Replace the locally normalized multinomial parameterization in a translation model  $p(\mathbf{e} \mid \mathbf{f})$  with a globally normalized log-linear model.

# 2.Add lexical association features sensitive to sublexical units.

C. Dyer, J. Clark, A. Lavie, and N. Smith (in review)



Fully directed model (Brown et al., 1993; Vogel et al., 1996; Berg-Kirkpatrick et al., 2010)



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Our model

bld	altes	0.3	car	Wagen	0.2
	alte	0.1		Auto	0.6
	alt	0.2		PKW	0.2
	alter	0.1			
	gammelig	0.1			
	gammelige	<b>s</b> 0. I			

old	altes	0.3	car	Wagen	0.2
	alte	0.1		Auto	0.6
	alt	0.2		PKW	0.2
	alter	0.1			
	gammelig	0.1			
	gammelige	<b>s</b> 0. I			
	gammelig gammelige	0.1 s 0.1			

#### New model:

*score*(**e**,**f**) = 
$$0.2h_1(\mathbf{e},\mathbf{f}) + 0.9h_2(\mathbf{e},\mathbf{f})$$
 old alt+  $\Omega^{[0,2]}$   
+  $1.3h_1(\mathbf{e},\mathbf{f}) + ...$  gammelig+ $\Omega^{[0,2]}$ 

old	altes	0.3	car	Wagen	0.2
	alte	0.1		Auto	0.6
	alt	0.2		PKW	0.2
	alter	0.1			
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#### New model:

$$score(\mathbf{e},\mathbf{f}) = 0.2h_1(\mathbf{e},\mathbf{f}) + 0.9h_2(\mathbf{e},\mathbf{f}) \quad \text{old} \quad alt + \Omega^{[0,2]} \\ + 1.3h_1(\mathbf{e},\mathbf{f}) + \dots \quad alt + \Omega^{[0,2]}$$

#### (~ Incremental vs. realizational)

### Sublexical Features

### každoroční → annual

IDkaždoroční\_annual

PREFIXkaž\_ann PREFIXkažd\_annu PREFIXkažd\_annua

SUFFIX<sub>1</sub> SUFFIX<u>n1</u>
## Sublexical Features

### každoroční → annually

IDkaždoroční\_annually

PREFIXkaž\_ann PREFIXkažd\_annu PREFIXkažd\_annua

SUFFIX<sub>í\_y</sub> SUFFIX<sub>ní\_ly</sub>

## Sublexical Features

### každoročního → annually

IDkaždoročního\_annually

PREFIXkaž\_ann PREFIXkažd\_annu PREFIXkažd\_annua

SUFFIX<sub>o\_y</sub> SUFFIX<sub>ho\_ly</sub>

## Sublexical Features

### každoročního → annually

IDkaždoročního\_annually

PREFIXkaž\_ann PREFIXkažd\_annu PREFIXkažd\_annua



Abstract away from inflectional variation!

SUFFIXo\_y SUFFIXho\_ly

## Evaluation

- Given a parallel corpus (no supervised alignments!), we can infer
  - The weights in the log-linear translation model
  - The MAP alignment
  - The model is a translation model, but we evaluate it as applied to **alignment**

# Alignment Evaluation

		AER
Model 4	e f	24.8
	<b>f</b>   <b>e</b>	33.6
	sym.	23.4
DLVM	e f	21.9
	<b>f</b>   <b>e</b>	29.3
	sym.	20.5

Czech-English, 3.1M words training, 525 sentences gold alignments.

# Translation Evaluation

Alignment	BLEU 个	METEOR $\uparrow$	TER $\downarrow$
Model 4	$16.3_{\sigma=0.2}$	$46.1_{\sigma=0.1}$	67.4 $_{\sigma=0.3}$
Our model	$16.5_{\sigma=0.1}$	$46.8_{\sigma=0.1}$	67.0 $_{\sigma=0.2}$
Both	<b>17.4</b> $_{\sigma=0.1}$	<b>47.7</b> $_{\sigma=0.1}$	<b>66.3</b> <sub><math>\sigma=0.5</math></sub>

#### Czech-English, WMT 2010 test set, 1 reference

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# Bayesian Translation

#### **Addresses problems:**

2. Target language inflectional richness.

#### How?

I. Replace multinomials in a lexical translation model with a process that generates target language lexical items by combining stems and suffixes.

2. Fully inflected forms can be generated, but a hierarchical prior backs off to a component-wise generation.



...







 $\alpha$  "Concentration" parameter  $P_0(x)$  Base distribution

bld	altes	0.3	car	Wagen	0.2
	alte	0.1		Auto	0.6
	alt	0.2		PKW	0.2
	alter	0.1			
	gammelig	0.1			
	gammelige	<b>s</b> 0. I			

old	altes	0.3	car	Wagen	0.2	
	alte	0.1		Auto	0.6	
	alt	0.2		PKW	0.2	
	alter	0.1				
	gammelig	0.1				
	gammelige	<b>s</b> 0. I				
	gammelige	0.1 s 0.1				

#### New model:







# Modeling assumptions

- Observed words are formed by an *unobserved* process that concatenates a stem  $\alpha$  and a suffix  $\beta$ , yielding  $\alpha\beta$
- A source word should have only a few translations  $\alpha\beta$
- translate into only a few stems  $\boldsymbol{\alpha}$
- The suffix  $\beta$  occurs many times, with many different stems
- $\beta$  may be null
- $\beta$  will have a maximum length of r
- Once a word has been translated into some inflected form, that *inflected form*, its *stem*, and its *suffix* should be more likely ("rich get richer")





Latent variable

Ζ





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#### alt





#### alt +





alt +





#### alt + en



### Evaluation

- Given a parallel corpus, we can infer
  - The MAP alignment
  - The MAP segmentation of each target word into <stem+suffix>

# Alignment Evaluation

		AER
Model I - EM	f e	43.3
Model I - HPYP	f e	37.5
Model I - EM	e f	38.4
Model I - HPYP	e f	36.6

English-French, 115k words, 447 sentences gold alignments.

# Frequent suffixes

Suffix	Count
+Ø	20,837
+s	334
+d	217
+e	156
+n	156
+у	130
+ed	121
+ing	119

### Assessment

- Breaking the "lexical independence assumption" is computationally costly
  - The search space is much, much larger!
  - Dealing only with inflectional morphology simplifies the problems
- Sparse priors are crucial for avoiding degenerate solutions

## In conclusion ...

# Why don't we have integrated morphology?

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Because we spend all our time working on English, which doesn't have much morphology!

# Why don't we have integrated morphology?

- Translation with words is already hard: an *n*-word sentence has *n*! permutations
- But, if you're looking at a sentence with *m* letters there are *m*! permutations
  - Search is ... considerably harder

• m > n  $\longrightarrow$   $m! \implies n!$ 

- Modeling is harder too
  - must also support all these permutations!

# Take away messages

- Morphology matters for MT
- Probabilistic models are a great fit for the uncertainty involved
- Breaking the lexical independence assumption is hard

# Thank you! Toda! \$krAF!

https://github.com/redpony/cdec/

$$\begin{split} n \sim \operatorname{Poisson}(\lambda) \\ a_i \sim \operatorname{Uniform}(1/|\mathbf{f}|) \\ e_i \mid f_{a_i} \sim T_{f_{a_i}} \\ T_{f_{a_i}} \mid a, b, \mathbf{M} \sim \operatorname{PYP}(a, b, \mathbf{M}(\cdot \mid f_{a_i})) \\ \mathbf{M}(e = \alpha + \beta \mid f) = G_f(\alpha) \times H_f(\beta) \\ G_f \mid a, b, f, \mathbf{P}_0 \sim \operatorname{PYP}(a, b, \mathbf{P}_0(\cdot)) \\ H_f \mid a, b, f, \mathbf{H}_0 \sim \operatorname{PYP}(a, b, \mathbf{H}_0(\cdot)) \\ H_0 \mid a, b, \mathbf{Q}_0 \sim \operatorname{PYP}(a, b, \mathbf{Q}_0(\cdot)) \\ \mathbf{P}_0(\alpha; p) = \frac{p^{|\beta|}}{|V|^{|\beta|}} \times (1 - p) \\ \mathbf{Q}_0(\beta; r) = \frac{1}{(|V| \times r)^{|\beta|}} \end{split}$$

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